A doubly stenotic artery with intermediate non-stenotic side branch is actually a three-artery configuration

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Retired

The article of Kweon et al has caught my attention because they propose a model for predicting a post-stenting fractional flow reserve (FFR) of a coronary artery if either one of two serial stenoses in the artery is removed. Unlike the case of a simple single artery, the artery has a non-stenotic side branch originating from a point in between the stenoses, turning it into a 3-artery configuration.

The authors have chosen to reach their goal by modifying the classic approach to the problem of two serial stenoses in a single artery by De Bruyne et al. By the errors that they have made on the way, it seems that it would have been better if they had chosen the multi-artery FFR approach and treated it like a three-artery configuration (artery 1=proximal stenotic main branch; artery 2=non-stenotic side branch; artery 3=distal stenotic main branch; Figure 3 of Yaeger). Despite the different scenario, the authors seem to adhere to single artery rules. When $\text{FFR}_d < 0.8$ (indicating mandatory revascularisation), they compare the magnitudes of $\Delta \text{FFR}_p$ and $\Delta \text{FFR}_d$ and treat the stenosis of the higher value first (Figure 1 of Kweon et al). This is erroneous because gradient pressures $(\Delta P)$ over stenoses can be compared only when the same flow Q passes through the resistances $(R)$ of the stenoses (namely when they are in the same artery). Only then is a comparison between the gradients $\Delta P = Q \times R$, actually a comparison between the resistances $(R)$. Here the flow in the proximal and distal parts of the main branch is not the same; there is a “leak” through the side branch (unless the side branch is of insignificant dimensions with negligible effect).

For some reason the authors have decided to use the diameter ratio $d_2/d_1$ (Figure 2 of Kweon et al) for determining the ratio of blood flows of the side branch and of the distal main branch instead of using an estimated ratio of their microvascular resistances.

It is not clear why the authors are erroneously using $P_d - P_w$ as the driving perfusion pressure instead of $P_d - P_v \approx P_d$ ($P_d$: distal pressure; $P_w$: wedge pressure; $P_v$: venous pressure).

It would be interesting if the authors were to run a data analysis by the multi-artery FFR method and compare the results with theirs.

Conflict of interest statement
The author has no conflicts of interest to declare.

References